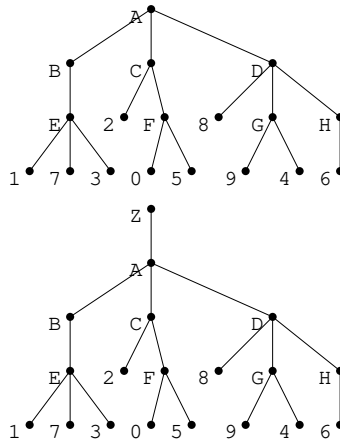


1. [3 marks] For tree at right, the root is a MAX node, leaf scores are for MAX. Give minimax values below.

A	7	B	7	C	2	D	6
E	7	F	5	G	9	H	6

For tree at right, the root is a MAX node, leaf scores are for MAX. Give minimax values below.

Z	1				
A	1	B	1	C	2
				D	8



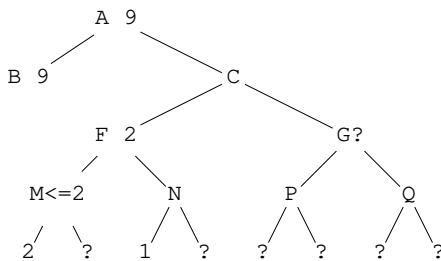
For tree at left, the root is a MIN node, leaf scores are for MAX. Give minimax values below.

A	1	B	1	C	2	D	8
E	1	F	0	G	4	H	6

2. [3 marks] Fill in blanks (code from `negamax.py`). (d depth, G game tree, V terminal node scores, w node)

```
def negamax(d, G, V, w):
    if isTerminalNode(w,V): return V[w]
    val = NEGINF
    for c in G[w]: # for each child c of v
        val = max(val, -negamax(d+1, G, V, c))
    return val
```

3. [3 marks] In this alphabeta search, after search completes, bound at node M is shown, subtrees of M,N,C were pruned. Explain each prune: fill in the blanks. bound at node N is ≤ 1 , bound at node C is ≤ 2



M: on path-to-root M-F-C-A, MAX has move option A-B

so $\alpha = 9$, MIN has move option M-2 so $\beta = 2$

C: on path-to-root C-A, MAX has move option A-B

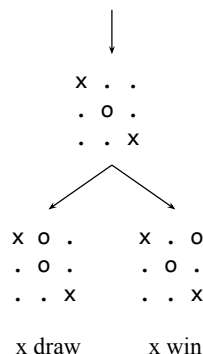
so $\alpha = 9$, MIN has move option C-F so $\beta = 2$

4. [3 marks] For this position with x to play, draw the next two levels of a proof tree that shows that x can at least draw: at level 1 of the tree you can prune isomorphic positions. Below each leaf of your drawing, give the x -minimax value (win/lose/draw) of that subtree.

ROUGH WORK HERE

$$\begin{array}{ccc} \text{X} & . & . \\ . & \text{O} & . \\ . & . & . \end{array}$$

FINAL ANSWER

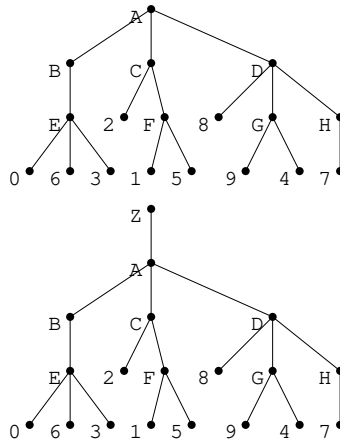
$$\begin{array}{ccc} X & . & . \\ . & O & . \\ . & . & . \end{array}$$


1. [3 marks] For tree at right, the root is a MAX node, leaf scores are for MAX. Give minimax values below.

A	7	B	6	C	2	D	7
E	6	F	5	G	9	H	7

For tree at right, the root is a MAX node, leaf scores are for MAX. Give minimax values below.

Z	0				
A	0	B	0	C	2
				D	8



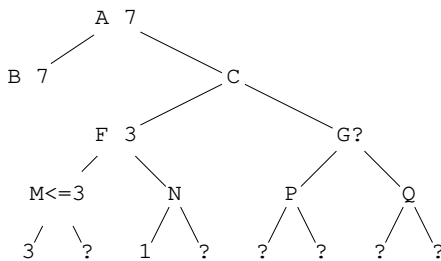
For tree at left, the root is a MIN node, leaf scores are for MAX. Give minimax values below.

A	0	B	0	C	2	D	8
E	0	F	1	G	4	H	7

2. [3 marks] Fill in blanks (code from `negamax.py`). (q depth, T game tree, S terminal node scores, v node)

```
def negamax(q, T, S, v):
    if isTerminalNode(v,S): return S[v]
    val = NEGINF
    for ch in T[v]: # for each child ch of v
        val = max(val , -negamax(q+1, T, S, ch))
    return val
```

3. [3 marks] In this alphabeta search, after search completes, bound at node M is shown, subtrees of M,N,C were pruned. Explain each prune: fill in the blanks. bound at node N is ≤ 1 , bound at node C is ≤ 3



M: on path-to-root M-F-C-A, MAX has move option A-B

so $\alpha = 7$, MIN has move option M-3 so $\beta = 3$

C: on path-to-root C-A, MAX has move option A-B

so $\alpha = 7$, MIN has move option C-F so $\beta = 3$

4. [3 marks] For this position with x to play, draw the next two levels of a proof tree that shows that x can at least draw: at level 1 of the tree you can prune isomorphic positions. Below each leaf of your drawing, give the x -minimax value (win/lose/draw) of that subtree.

ROUGH WORK HERE

$$\begin{array}{ccc} \cdot & \cdot & \cdot \\ \cdot & O & \cdot \\ X & \cdot & \cdot \end{array}$$

FINAL ANSWER

