Joe Culberson's Graph Coloring Bibliography

Many thanks to all of those contributors who provided information and references. If you find errors or omissions, please send email to joe@cs.ualberta.ca.

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